Introduction to hodographs

Primer on diagnosis of severe, organized convection



https://www.weather.gov/bmx/event_04272011

https://www.youtube.com/watch?v=sA7TKSHJ_wM

THE "LOADED GUN" SOUNDING THE SIGNATURE FOR SUPERCELLS



CAPE in the 'loaded gun' sounding example



Figure 2.9 Skew *T*-log *p* diagram obtained from the Del Rio, Texas, sounding at 1800 UTC 14 May 2008. The temperature and dewpoint profiles are solid green (dewpoints are not plotted above 500 mb because they were unreliable above 500 mb). The virtual temperature profile is indicated with the dashed green line. The solid blue line indicates the temperature of a parcel of air lifted from the surface to its lifting condensation level (LCL), level of free convection (LFC), and equilibrium level (EL). The dashed blue line indicates the virtual temperature of the parcel. The LFC, CAPE, and CIN computed by including virtual temperature effects are LFC_{Tv}, CAPE_{Tv}, and CIN_{Tv}, respectively. The LFC, CAPE, and CIN based on temperature alone (the effect of moisture on buoyancy is neglected) are LFC_T, CAPE_T, and CIN_T, respectively. The positive and negative areas for the solid blue parcel trajectory (proportional to CAPE_T and CIN_T, respectively) are shaded light orange and light blue, respectively. The positive area for the dashed blue parcel trajectory (proportional to CAPE_{Tv}; the negative area is virtually nonexistent) encompasses both the orange area and the area that is shaded light green.

Conceptualizing downdraft CAPE (DCAPE)



Figure 2.10 Skew $T - \log p$ diagram obtained from the Del Rio, Texas, sounding at 1800 UTC 14 May 2008 (this is the same sounding as appeared in Figure 2.9). The temperature and dewpoint profiles are solid green. The virtual temperature profile is indicated with the dashed green line. The solid blue line indicates the temperature of a parcel descending moist adiabatically from 700 mb, and the dashed blue line indicates the virtual temperature of the descending parcel. DCAPE_T and DCAPE_T are the DCAPE values computed based on temperature alone and including the effects of both temperature and moisture on buoyancy, respectively. The negative area for the solid blue parcel trajectory (proportional to DCAPE_T) is shaded light blue. The negative area for the dashed blue parcel trajectory (proportional to DCAPE_T) encompasses both the light blue area and the area shaded light green.

Flashback to definition of vorticity from WAF I

5 Vorticity In layman's terms a measure of spin in the atmosphere. Maximum in vorticity often referred to (inarticulately) as a "piece of energy" by TV meteorologists, Mathematically, Curl of the wind $\nabla X \vec{v} = \vec{j} \quad \vec{v} = (u, v, w)$ A vector quantity 2 A K Nox Hoy Hoz They DXJ = 2m SX du DZ (dw - dv . du du K Three components!

In synoptic meteorology because we
assume
$$W \le a$$
, we are typically
concerned with just the vertical (k)
component of vorticity
 $\hat{k} \cdot (\nabla x \vec{v}) = \vec{J}_{\vec{z}} = \frac{\partial y}{\partial x} - \frac{\partial w}{\partial y} \rightarrow Relative (local)$
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What is different for mesoscale is that the horizontal components of vorticity are now (very) relevant

 $\omega_{h} =$

$$\left(\frac{\partial w}{\partial y}-\frac{\partial v}{\partial z}\right)\hat{L}$$

$$\left(\frac{\partial u}{\partial z} - \frac{\partial w}{\partial x}\right)$$

Introduction to Hodographs

Plots the vertical wind profile as a 2-D diagram, usually in (u,v) space



Figure 2.11 A hodograph (blue curve) and its relationship to the horizontal winds (blue vectors), which are drawn at five different levels (the labels along the hodograph indicate heights above ground level in kilometers). The point on the hodograph labeled "0" is the lowest altitude where the wind is measured, which typically is a few meters above the ground rather than z = 0 m (the horizontal wind goes to zero at z = 0). The vector wind difference between the winds at the top and bottom of each layer also are shown (red vectors). The shear vector at a *point* between 2 and 3 km also is shown (green vector); it lies tangent to the hodograph.

Hodograph curve (dark blue) connects the tips of the point of the wind vectors (light blue)

Tangent line to the hodograph curve defines the wind shear vector (**S**) at a given height

$\mathbf{S} = \Delta \mathbf{V} / \Delta Z$

The hodograph provides information about how wind changes with height that may be quickly interpreted.

<u>Skew-T</u>: provides insight into the favorability of the mesoscale thermodynamic environment for convection.

 \rightarrow Is convection going to happen?

<u>Hodograph</u>: provides complementary insight into mesoscale dynamic environment which governs how convection is likely to evolve over time.

Will that convection become organized and severe?







We WILL cover the particulars of radar measurements soon...but radar imagery 'pictures' are fine for now as a primer



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Length vs. curvature

Length: related to vertical wind shear magnitude

The speed shear

<u>Curvature</u>: How the vertical wind shear changes direction with height

The directional shear

Note: This is a different concept than the change in wind direction (e.g. related to backing and veering) as we talked about in WAF I.



Figure 2.12 Diagram of a hodograph $[\overline{u}(z), \overline{v}(z)]$ depicting the storm motion vector c, storm-relative wind vector $\mathbf{v} - \mathbf{c}$, shear vector S, and environmental horizontal vorticity vector $\boldsymbol{\omega}_{\rm h}$. When S is a good representation of the thermal wind (i.e., when winds are close to geostrophic), $\boldsymbol{\omega}_{\rm h}$ points toward the cold air and $\mathbf{v} \cdot \boldsymbol{\omega}_{\rm h}$ is porportional to temperature advection. The streamwise and crosswise vorticity components, $\boldsymbol{\omega}_{\rm s}$ and $\boldsymbol{\omega}_{\rm c}$, respectively, are also indicated.

$$oldsymbol{\omega}_{\mathbf{h}} pprox \left(-rac{\partial v}{\partial z}, rac{\partial u}{\partial z}
ight) = \mathbf{k} imes \mathbf{S};$$

What are hodographs useful for?

1. Estimate the mean wind speed within a given layer Mid-level steering flow that would be associated with the (initial) movement of a thunderstorm

2. Diagnose speed shear and directional shear Respectively inform as to cross-wise and stream-wise horizontal vorticity

- Cross-wise vorticity = ω_h perpendicular to storm motion
- Stream-wise vorticity = ω_h parallel to storm motion

Both are ultimately related to forecasting of severe convective storms:

- Movement and organization
- Likely storm type (supercell, squall line, MCS, etc.)

You can determine MOST of that from just looking at the hodograph! More on all that later...

Visualizing stream-wise horizontal vorticity associated with directional shear



Directional shear is characterized by the metric of *helicity*.

Where high directional shear, potential for thunderstorm updrafts to tilt this horizontal vorticity in the vertical, creating rotating mesocyclones.





Straight hodograph: Unidirectional shear Cross-wise vorticity

A → Zero degrees veering of wind A' → 90 degrees veering of wind.

Vertical shear direction is westerly at all levels

Curved hodograph Directional shear Steam-wise vorticity

B → 180 degrees veering of wind B'→ 45 degrees veering of wind

Vertical shear changes direction through profile

Severe weather hodographs: More characteristic of eastern U.S.



Figure 2.14 (a)-(d) Hodographs observed in relative proximity to outbreaks of severe convection and tornadoes having a wide variety of mean wind velocities and deep-layer shear (thermal wind) orientations. Labels along the hodographs indicate heights above ground level in kilometers. The \otimes symbols indicate the approximate average storm motions observed on each day. Profiles of ground-relative (g-r) and storm-relative (s-r) winds (half barb—2.5 m s⁻¹, flag—2.5 m s⁻¹) are displayed to the right of each hodograph. (Although wind data in only the lowest 6 km are plotted [the winds are missing above 5 km in (b)], it is not implied that the winds above 6 km are unimportant.) (Adapted from Markowski and Richardson [2006].)

Both u,v tend to be positive throughout the vertical profile (in these examples)

Indicative of generally Southwesterly flow at surface and aloft

Note that the shear tends to be more unidirectional aloft (i.e. the hodograph follows a straight line)

Horizontal vorticity more crosswise relative to storm motion

More characteristic of squall lines, mesoscale convective systems (stay tuned...)

Severe weather hodographs: More characteristic of Central U.S., Great Plains



Figure 2.14 (a)-(d) Hodographs observed in relative proximity to outbreaks of severe convection and tornadoes having a wide variety of mean wind velocities and deep-layer shear (thermal wind) orientations. Labels along the hodographs indicate heights above ground level in kilometers. The \otimes symbols indicate the approximate average storm motions observed on each day. Profiles of ground-relative (g-r) and storm-relative (s-r) winds (half barb—2.5 m s⁻¹, flag—25 m s⁻¹) are displayed to the right of each hodograph. (Although wind data in only the lowest 6 km are plotted [the winds are missing above 5 km in (b)], it is not implied that the winds above 6 km are unimportant.) (Adapted from Markowski and Richardson [2006].)

Change in sign of u or v

Generally southerly at low levels transitioning to more southwesterly to northwesterly winds aloft.

Strong southerly winds likely indicative of low-level jet.

Note that the shear tends to be more directional, especially for the Norman, OK case!

Horizontal vorticity more steam-wise relative to storm motion

More characteristic of isolated supercellar convection (i.e. tornadic thunderstorms. (Again, stay tuned...)

